| Year 3 Home Learning Summer 2 Ruby: Home Learning: Summer 1 - week 7 |  |  |  |  |  |
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| WB 08.06.2020 | Maths | English | Reading | Science | Foundation |
| Monday | https://whiterosemaths.co $\mathrm{m} /$ homelearning/year-3/ <br> Summer Term - Week 7 (w/c 8th June) <br> Lesson 1 - Equivalent fractions (1) | Setting Description: Reading Comprehension - Fact Retrieval <br> English <br> Lesson 1 <br> https://www.thenational.academy/year-3/english/setting-description-reading-comprehensio n-fact-retrieval-year-3-wk2-1 |  | Parts and function of a plant <br> This will be one lesson spread over the course of a week. The video has particular points where it is beneficial to pause and think carefully about what is being explored. You can do the entire lesson in one go or split over the week as set out below. https://www.thenationalacademy/year-3/foundation/parts-and-function-of -a-plant-year-3-wk2-3 <br> Learn spelling/actions for the parts of a plant. <br> . video ref: 1.38 |  |
| Tuesday | https://whiterosemaths.co m/homelearning/year-3/ <br> Summer Term - Week 7 (w/c 8th June) <br> Lesson 2 - Equivalent fractions (2) | Setting Description: Reading Comprehension - Word Meaning <br> English <br> Lesson 2 <br> https://www.thenational.academy/year-3/english/setting-description-reading-comprehensio n-word-meaning-year-3-wk2-2 |  | Go to the time stamos for the specific learning tasks or watch the whole video through <br> https://www.thenational.academy/year-3/found ation/parts-and-function-of-a-plant-year-3-wk23 <br> Draw and label parts of a plant <br> video ref: 3:19 <br> Make a reference table for plants <br> video ref: 8:24 <br> PLant investigation | History revision <br> Norman Conquest <br> Lesson 1 <br> Foundation <br> Lesson 1 <br> https://www.thenationa <br> l.academy/year-3/found ation/norman-conquest-lesson-1-year-3-wk1-1 |
| Wednesday | https://whiterosemaths.co m/homelearning/year-3/ <br> Summer Term - Week 7 (w/c 8th June) <br> Lesson 3 - Equivalent <br> fractions (3) | Setting Description: Identifying the features of a text English Lesson 3 <br> https://www,thenational.academy/year-3/english/setting-description-identifying-the-features-of-a-text-year-3-wk2ㅇ | VIPERS: <br> Read a chapter from a book of your choice and summarize it in <br> a) 50 words <br> b) 10 words |  |  |
| Thursday | https://whiterosemaths.co m/homelearning/year-3/ <br> Summer Term - Week 7 (w/c 8th June) <br> Lesson 4 - Compare fractions | GRAMMAR <br> Setting Description: SPaG focus - Fronted adverbial <br> phrases <br> English <br> Lesson 4 <br> https://www.thenational.academy/year-3/english/setting- <br> description-spag-focus-fronted-adverbial-phrases-year-3- <br> wk2-4 | VIPERS: <br> Using a dictionary (online is fine), can you define $3-5$ words that you are unsure about or that are 5 letters and above.. | PLant investigation video ref: 11: 00 | MUSIC - To beatbox using rhythmic patterns <br> https://www.thenationa l.academy/year-3/found ation/to-beatbox-using-r hythmic-patterns-year-3 -wk2-5 |
| Friday | https://whiterosemaths.co m/homelearning/year-3/ <br> Summer Term - Week 7 (w/c 8th June) <br> Lesson 5 - Maths challenge | WRITING <br> Setting Description: Write a setting description <br> English <br> Lesson 5 <br> https://www.thenational.academy/year-3/english/setting <br> ption-year-3-wk2-5 | iption-write-a-setting-descri |  |  |

## Optional extras

Daily times tables and division facts practise - https://www.topmarks.co.uk/maths-games/7-11-years/times-tables Daily reading of a book, magazine, comic or newspape

1) How many quarters are the same as $\frac{1}{2}$ ?
$\qquad$
2) 

1 whole


1 whole


4-shape


2-shape


1-shape


Copy and complete the sentences:
a) A 4-shape is equivalent to $\qquad$ of 1 whole.
b) A 2-shape is equivalent to $\qquad$ of 1 whole.
c) A 1-shape is equivalent to $\qquad$ of 1 whole.

Answer these questions:
d) How many 2 -shapes are equivalent to 1 whole? $\qquad$
e) How many 1-shapes are equivalent to 1 whole? $\qquad$
f) How many 4-shapes are equivalent to 1 whole? $\qquad$
3) The yellow cubes are joined to make 1 whole.

a) What fraction of the whole does 1 cube represent? $\qquad$
b) How many cubes represent $\frac{1}{3}$ of the whole? $\qquad$
c) How many sixths are equivalent to $\frac{1}{3}$ ? $\qquad$

1) 2 quarters ( $\frac{2}{4}$ ) are the same as $\frac{1}{2}$.
2) a) A 4-shape is equivalent to $\frac{1}{2}$ of 1 whole.
b) A 2-shape is equivalent to $\frac{1}{4}$ of 1 whole.
c) A 1-shape is equivalent to $\frac{1}{8}$ of 1 whole.
d) 42-shapes are equivalent to 1 whole.
e) 81-shapes are equivalent to 1 whole.
f) 24-shapes are equivalent to 1 whole.
3) a) 1 cube represents $\frac{1}{6}$ of the whole
b) $\mathbf{2}$ cubes represent $\frac{1}{3}$ of the whole.
c) $\frac{2}{6}$ are equivalent to $\frac{1}{3}$.
4) There are a wide variety of ways in which children can use number shapes and cubes to represent $\frac{1}{4}$. Examples include:

5) The diagram represents a bar model with 4 squares shaded. $\frac{1}{2}$ (4 out of the 8 squares) are shaded in green. $\frac{1}{4}$ of the shape is 2 squares shaded. As 4 squares are shaded, this represents $\frac{2}{4}$. This equivalent to $\frac{1}{2}$.
6) a) Kelsey is correct. $\frac{1}{2}$ or $\frac{6}{12}$ of the bar model is shaded in.

b) $\frac{3}{6}$ is also equivalent to $\frac{1}{2}$ or $\frac{6}{12}$. ( $\frac{1}{6}$ is equivalent to $\frac{2}{12}, \frac{2}{6}$ to $\frac{4}{12}$ and $\frac{3}{6}$ to $\frac{6}{12}$.)

7) e) is the odd one out. This bar model is the odd one out because $\frac{2}{5}$ are shaded. All the other shapes have the equivalent of $\frac{1}{3}$ shaded
8) Circle the bar models that could be placed on each number line correctly.

Then, write which fraction on the number line they are equivalent to.
a)

b)

$\qquad$

c)

$\qquad$

2) Place the equivalent fractions in the correct place on the number lines.
a) $\frac{3}{5} \quad \frac{1}{5} \quad \frac{1}{1}$

b) $\frac{12}{12} \quad \frac{6}{8} \quad \frac{3}{12}$


1) a) The bar model is equivalent to $\frac{2}{3}$.

b) The bar model is equivalent to $\frac{1}{4}$.

c) The bar models are both equivalent to $\frac{3}{6}$. This is equivalent to $\frac{1}{2}$.

2) a)

b)

3) $D$ is not equivalent to $\frac{1}{3}$. $D$ represents $\frac{4}{10}$, which is equivalent to $\frac{2}{5}$.
4) Toby is incorrect. $\frac{4}{10}$ is equivalent to $\frac{2}{5}$, which has a lower denominator.
5) Both children are correct.

Samira would land on $\frac{4}{6}$, which is equivalent to $\frac{2}{3}$.


Toby would land on $\frac{2}{6}$, which is equivalent to $\frac{1}{3}$.


1) Complete the table of equivalence. One has been done for you.

| Pictorial Representation | Fraction | Words |
| :---: | :---: | :--- |
|  | One half is equivalent to <br> two quarters. |  |

2) Circle the fractions that are equivalent to $\frac{2}{3}$.

$\frac{1}{2}$

$\frac{8}{12}$
3) Use the fraction wall to fill in the missing parts of the fractions.

| $\frac{1}{3}$ |  |  |  | $\frac{1}{3}$ |  |  |  | $\frac{1}{3}$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\frac{1}{6}$ |  | $\frac{1}{6}$ |  | $\frac{1}{6}$ |  | $\frac{1}{6}$ |  | $\frac{1}{6}$ |  | $\frac{1}{6}$ |  |
| $\frac{1}{9}$ |  |  | $\frac{1}{9}$ | $\frac{1}{9}$ |  |  | $\frac{1}{9}$ | $\frac{1}{9}$ |  |  | $\frac{1}{9}$ |
| $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ | $\frac{1}{12}$ |

$$
\frac{1}{3}=\frac{\square}{6}=\frac{3}{\square}=\frac{\square}{12}
$$

1) 

| Pictorial <br> Representation | Fraction | Words |
| :---: | :---: | :---: |
|  | $\frac{1}{3}=\frac{3}{9}$ | One half is <br> equivalent to <br> two quarters. |
| One third is <br> equivalent to <br> three ninths. |  |  |
|  | $\frac{3}{12}=\frac{1}{4}$ | Three twelfths <br> is equivalent to <br> one quarter. |

2) 


$\frac{6}{8}$

3) $\frac{1}{3}=\frac{2}{6}=\frac{3}{9}=\frac{4}{12}$
1)

2) $C$ and $D$ are the odd ones out as they are not equivalent to $\frac{3}{4}$. C represents $\frac{3}{5}$ and $D$ represents $\frac{2}{3}$.
3)
A)
B)
C) $\frac{5}{10}=\frac{1}{2}$
$\frac{1}{2}=\frac{2}{4}$
$\frac{4}{6}=\frac{4}{12}$
D)
$\frac{1}{1}=\frac{2}{2}$

There are many possible answers. Example: $\frac{4}{6}=\frac{2}{3}$ or $\frac{4}{12}=\frac{1}{3}$
4) Erin is incorrect. The numerator is sometimes a multiple of 2 . $\frac{2}{6}$ and $\frac{4}{12}$ are equivalent to $\frac{1}{3}$ and 2 and 4 are multiples of 2. However, $\frac{3}{9}$ and $\frac{5}{15}$ are equivalent to $\frac{1}{3}$ but 3 and 5 are not multiples of 2 . Children may have used other examples in their reasoning.

1) Circle the fractions which are smaller than $\frac{4}{5}$ ?
A $\frac{1}{5}$

C

2) Circle the fractions which are larger than $\frac{1}{4}$ ?
A $\frac{2}{4}$


3) a) Look at the bar models below. Write the largest fraction shown.
b) Look at the bar models below. Write the smallest fraction shown.


B


C


D

4) Which fraction is the largest? Prove your answer using bar models.
$\begin{array}{lll}\frac{1}{8} & \frac{1}{2} & \frac{1}{4}\end{array}$
$\qquad$
$\qquad$

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1) 



C

2)

3) a) Bar model $B$ shows $\frac{1}{4}$, which is the largest fraction.
b) Bar model C shows $\frac{1}{10}$, which is the smallest fraction.
4) $\frac{1}{2}$ is the largest fraction:


1) Sophia is correct. $\frac{1}{6}$ is the larger fraction as the whole has been split into 6 equal parts rather than 12, making each part larger. When the numerators are the same, the larger the denominator, the smaller the fraction.
2) Shen is correct. $\frac{2}{6}$ is equivalent to $\frac{1}{3}$.
3) a) The bar model should be the same length as the original, separated into equal proportions and should show a fraction greater than $\frac{3}{8}$. One example would be:

b) If children have drawn a bar separated into eighths, their answer should explain that they have shaded more than 3 parts of the bar. If they have used a bar separated differently, their answer should explain that the fraction they have shaded is equivalent to more than $\frac{3}{8}$.
